

^{11}Be halo nucleus reaction on heavy targets at energies around the Coulomb barrier

^{11}Be

MAGISOL Meeting
ISOLDE
April 2014

Outline

Motivation:

- Halo nuclei.
- What is new.

Experimental setup:

- TRIUMF and TIGRESS.
- Charged particles and gamma radiation detection.
- Fragment identification. 2D plots.

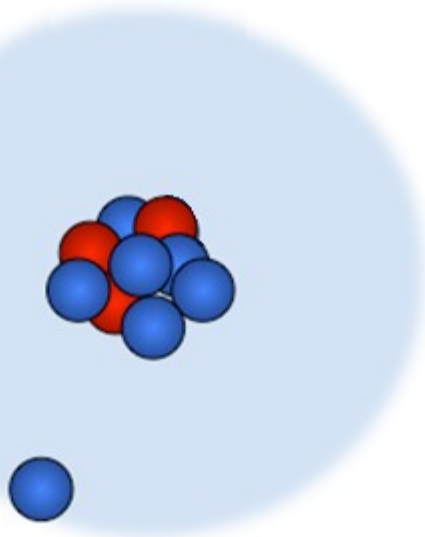
CDCC explanation tentative

Experimental results:

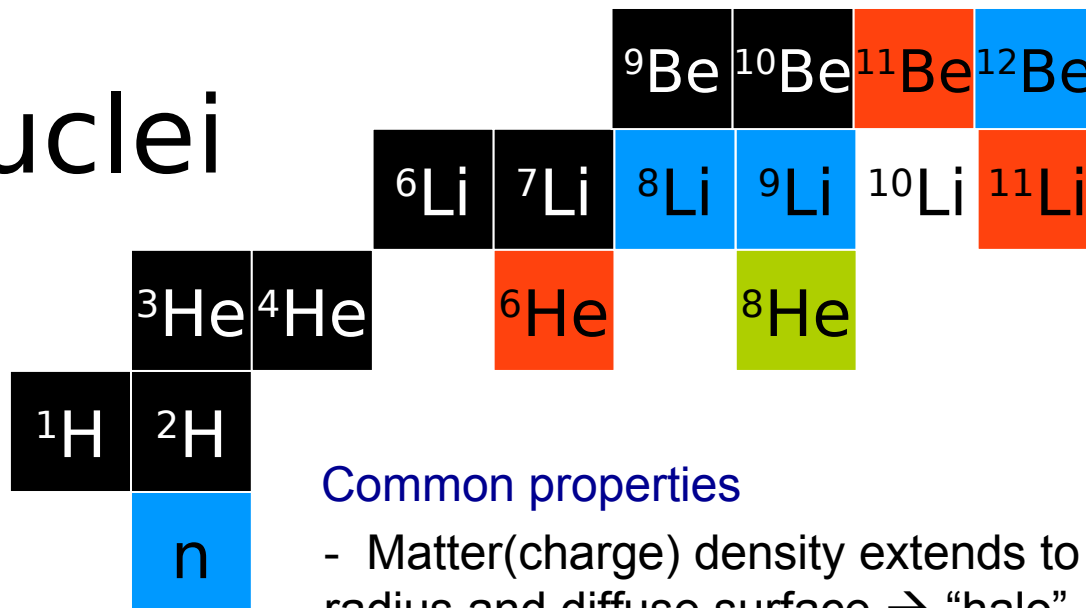
- Break up probability.
- Gamma-particle coincidence.
- Inelastic scattering probability.

Conclusions and outlook

^{11}Be



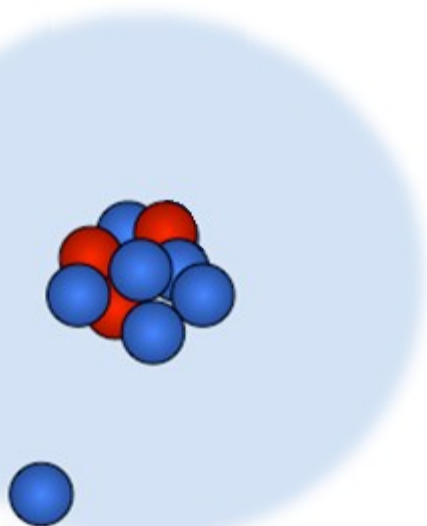
Halo nuclei



Common properties

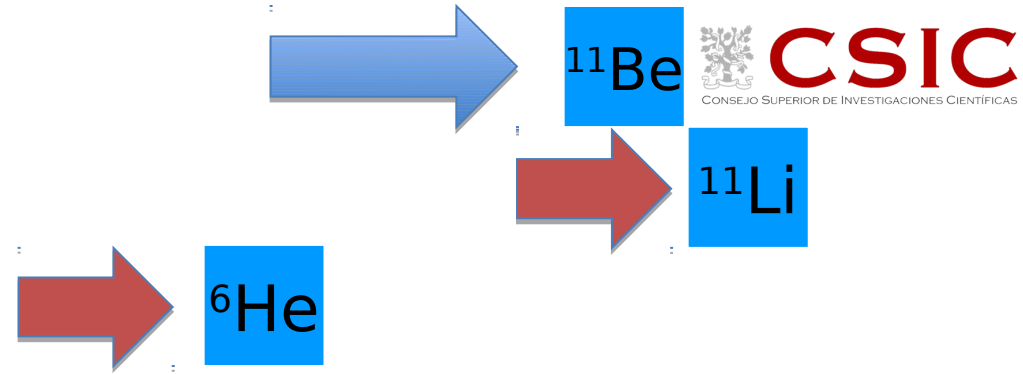
- Matter(charge) density extends to large radius and diffuse surface → “halo”.
- Compact and almost inert core + one or two weakly bound nucleons.
- Few excited states (if any).

^{11}Be



- Important absorption in the elastic channel.
- Large fragmentation cross section.
- **Easily polarizable.**

Halo nuclei



501.6 keV	
320 keV	$1/2^-$
	$1/2^+$

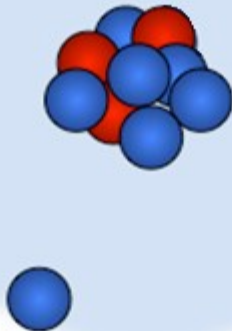
${}^6\text{He}$ & ${}^{11}\text{Li}$

- Two-neutron haloes, borromean systems.
- Theoretical challenge. 4 body calculations.

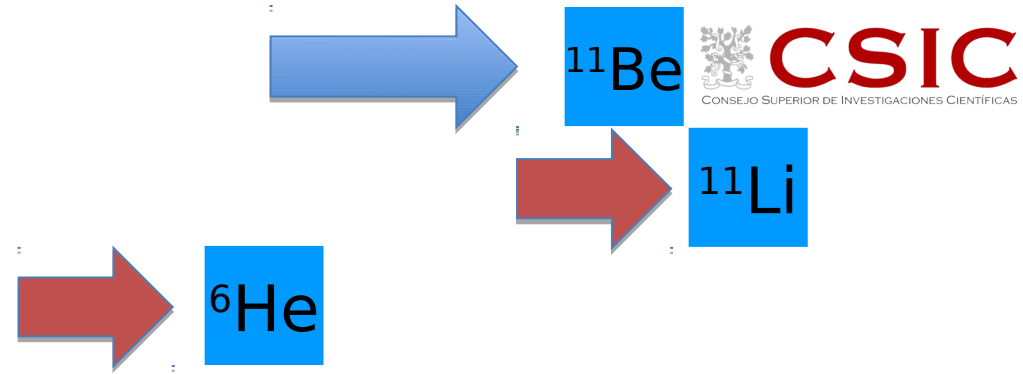
${}^{11}\text{Be}$

- One neutron halo.
- Break up threshold $S_n = 501.6 \text{ keV}$.

${}^{11}\text{Be}$



Halo nuclei



501.6 keV	
320 keV	$1/2^-$
	$1/2^+$

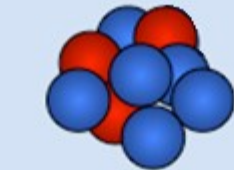
^6He & ^{11}Li

- Two-neutron haloes, borromean systems.
- Theoretical challenge. 4 body calculations.

^{11}Be

- One neutron halo.
- Break up threshold $S_n = 501.6 \text{ keV}$.
- **Bound excited state at 320 keV.** $B(E1)=0.112(4) \text{ e}^2\text{fm}^2$ (E. Kwan, not published yet)
- Less mass difference after break up.
- Experimental challenge. Fragment identification + angular resolution + gamma detection in coincidence.

^{11}Be



TRIUMF & TIGRESS

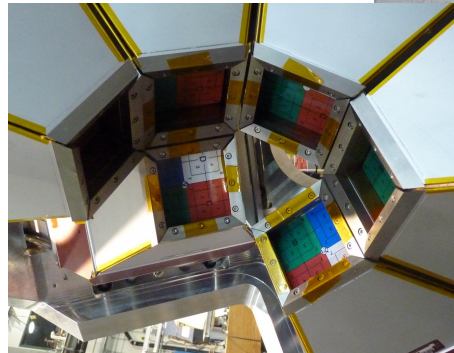
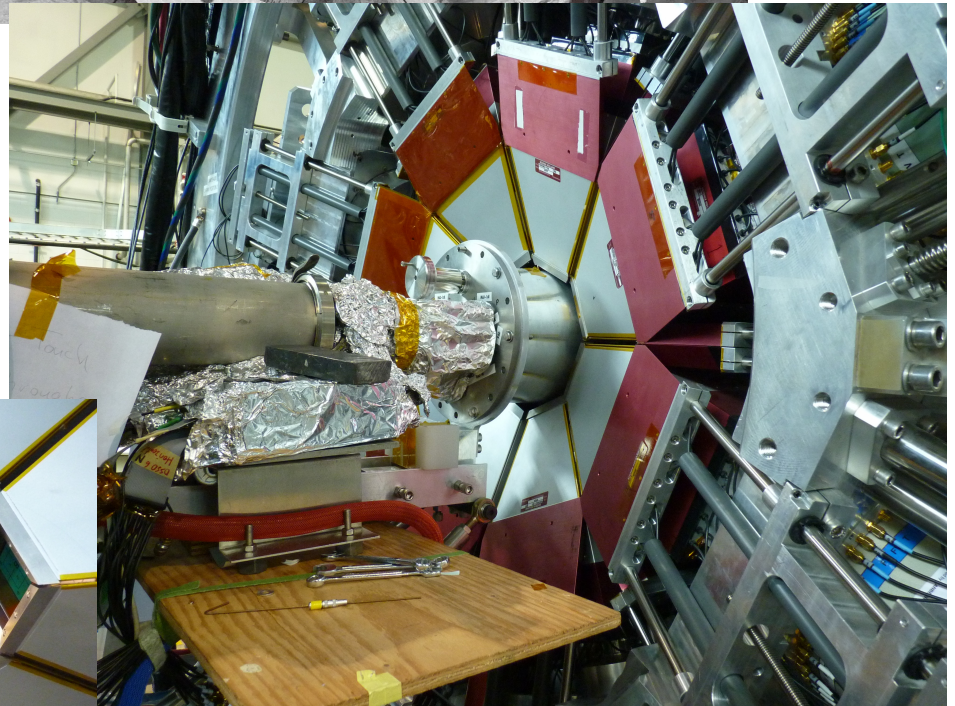


TRIUMF

- Cyclotron.
- Continuous beam accelerator.
- ISOL method.
 - Exotic nuclei at 2.9 MeV/u

TIGRESS

- HPGe Detector array.
- 16 clovers, 8 at 90° y 4 at 135° (+ 4 not used).
- 4 crystals per clover.
- 8 segments (4 + 4) per crystal.
- Compton suppression with BGOs.



Charged particles and gamma radiation detection

Charged particles:

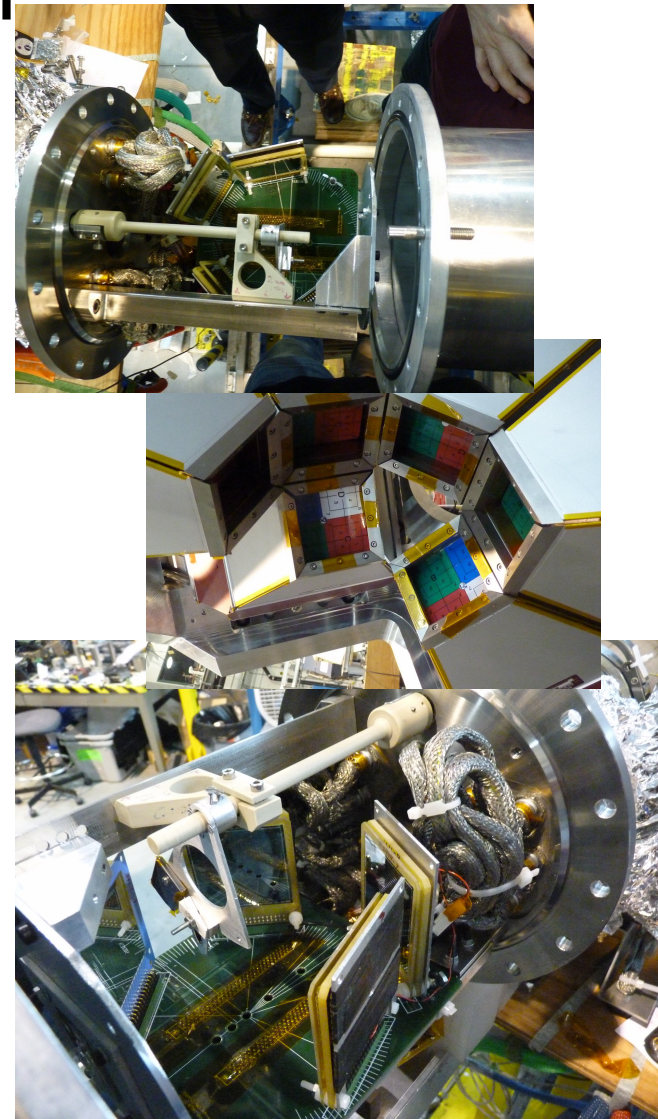
- 3 telescopes DSSSD 16x16 (40 μ m) + PAD.
- 1 telescope SSSD 16 (20 μ m) + DSSSD 16x16 (300 μ m).
- Covering theta range 13° - 150°

TIGRESS:

- Low efficiency configuration.
- More Compton suppression.
 - Spectra at 320 keV cleaner.

Digital electronics:

- Advantage: remote manipulation of parameters:
 - gains, thresholds...
- Disadvantage: Less accessibility. We had CrossTalk problems that couldn't afford stop to fix.



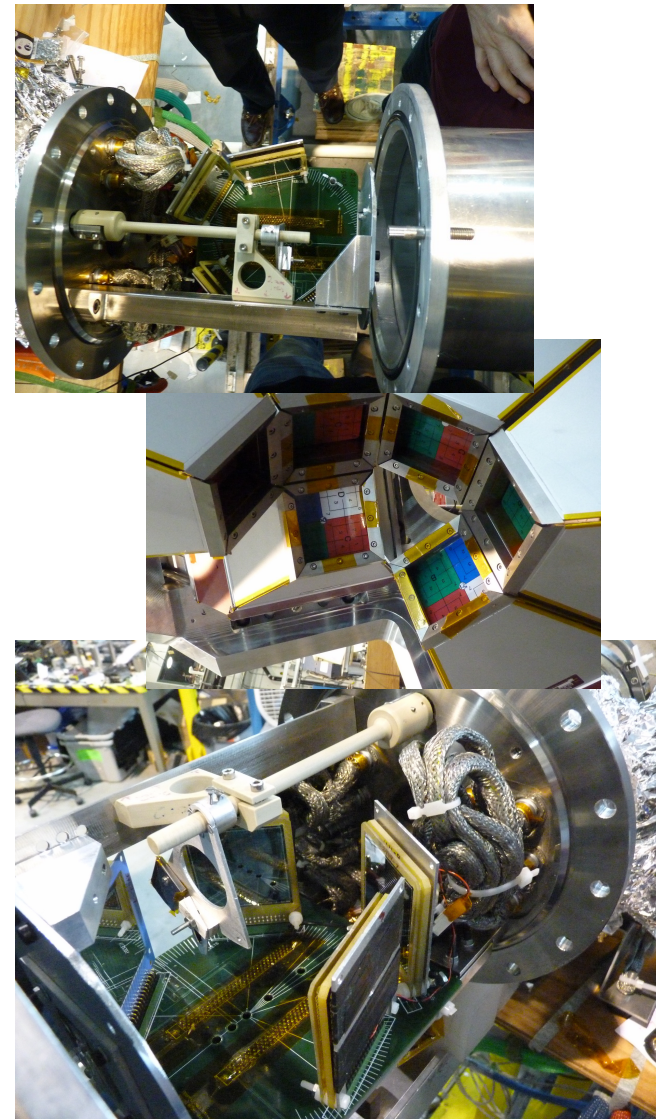
The experiment

2012 on ^{208}Pb (1.45mg/cm²):

- ^{11}Be @ 3.6 MeV/u.
- ^{10}Be @ 3.6 MeV/u.
- ^{11}Be @ 3.1 MeV/u.
- ^{11}Be @ 2.9 MeV/u.

2013 on ^{197}Au (1.9mg/cm²):

- ^{12}C @ 5.0 MeV/u.
- ^{11}Be @ 3.6 MeV/u.
- ^{11}Be @ 2.9 MeV/u.

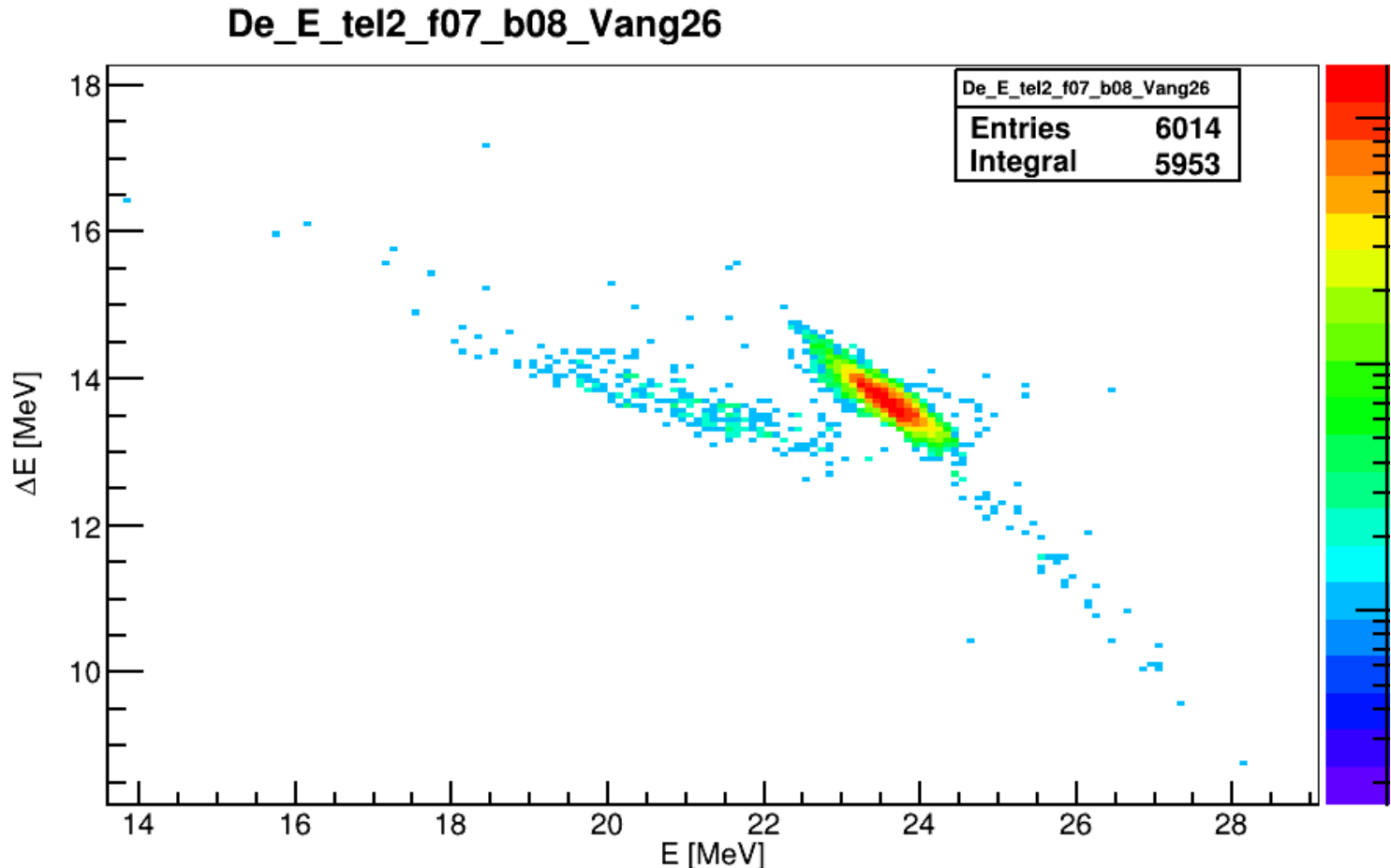


Charged particles and gamma radiation detection

Charged particles

- ΔE vs Eback.

^{11}Be @3.6MeV/u
on ^{197}Au .
1pixel.



Analysis conditions

-Conditions for events:

P hits > 0 && N hits && Pad hits > 0

if (threshold < Channel && channel < pulsed channel){

Calibrate the hit with higher energy

if $|E_p - E_n| < 200 \text{ keV}$

// For identifying the physical process we are more interested in bunching the events in bananas, better than knowing their actual energy deposition.

$$\Delta E = \Delta E \cos \theta$$

$$E_{\text{pad}} = E_{\text{pad}} + (1 - \cos \theta) \Delta E$$

Conditions for gammas coincidences:

EnerSum > threshold && EnSupressor < threshold

If EnerSum > 282 keV && 310 keV < Edoppler < 337 keV

Charged particles and gamma radiation detection

Charged particles

- ΔE vs E_{back} .

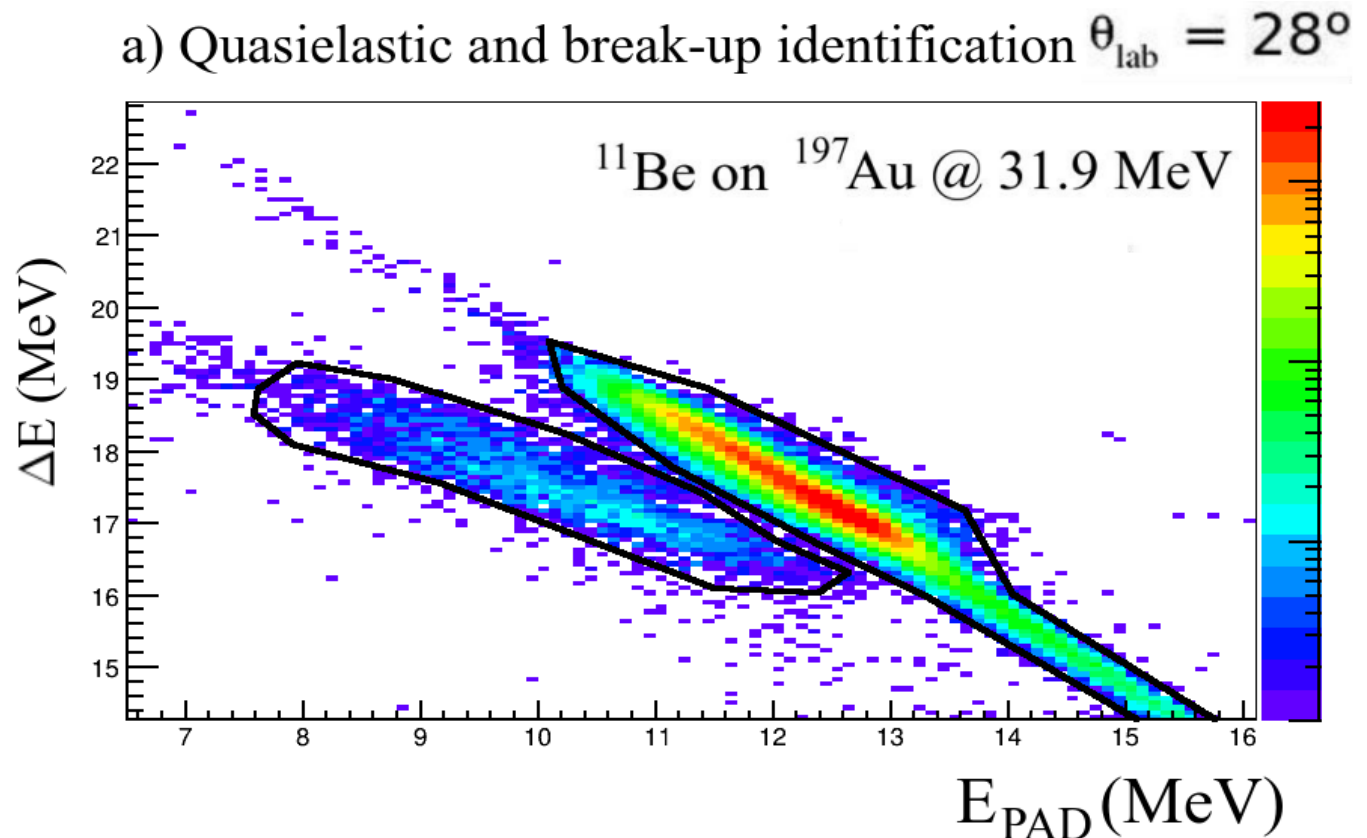
^{11}Be @ 3.6 MeV/u

on ^{197}Au .

Bin containing every pixel with centroid between

27 y 30°

$$P_{\text{bu}} = \frac{N_{\text{bu}}}{N_{\text{bu}} + N_{\text{el}}}$$



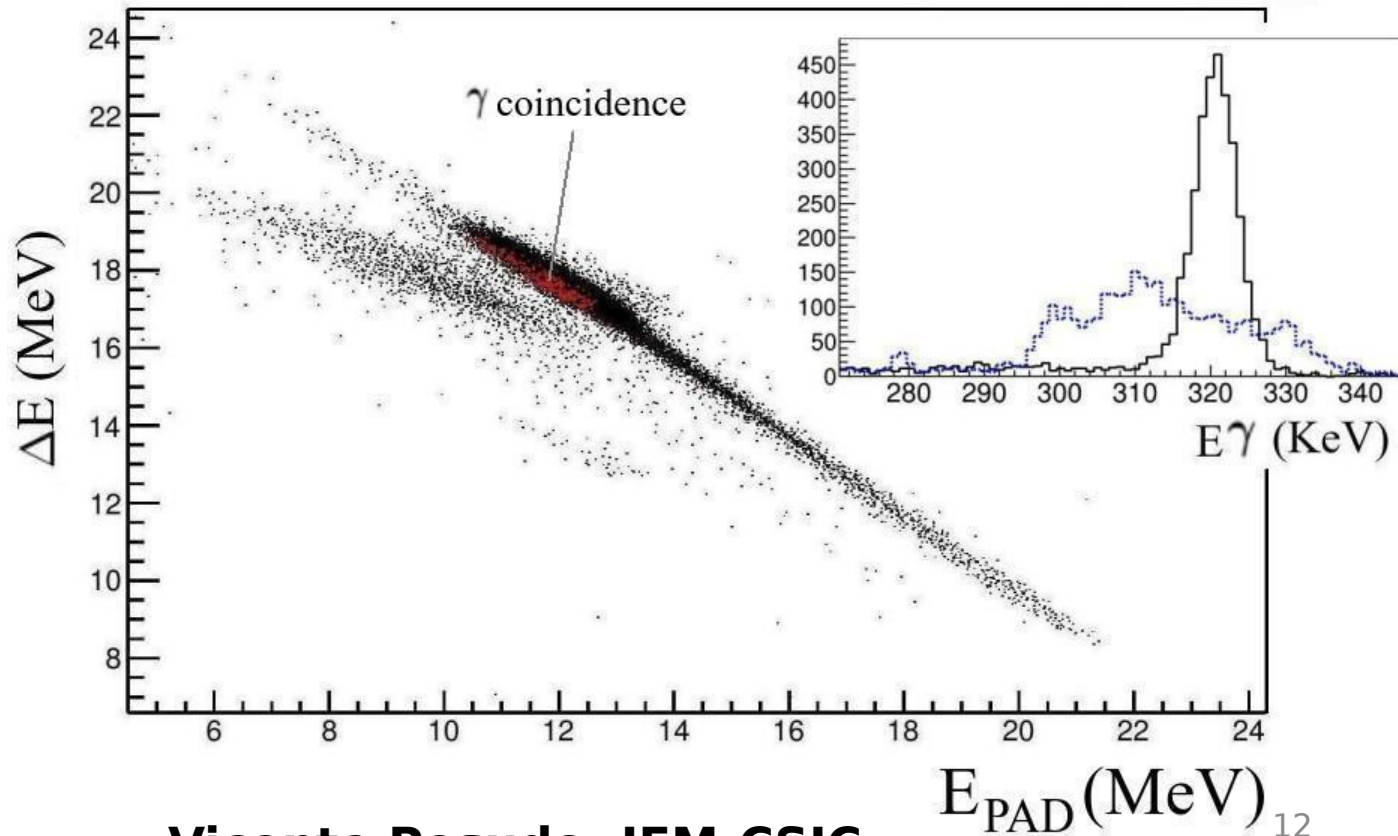
Charged particles and gamma radiation detection

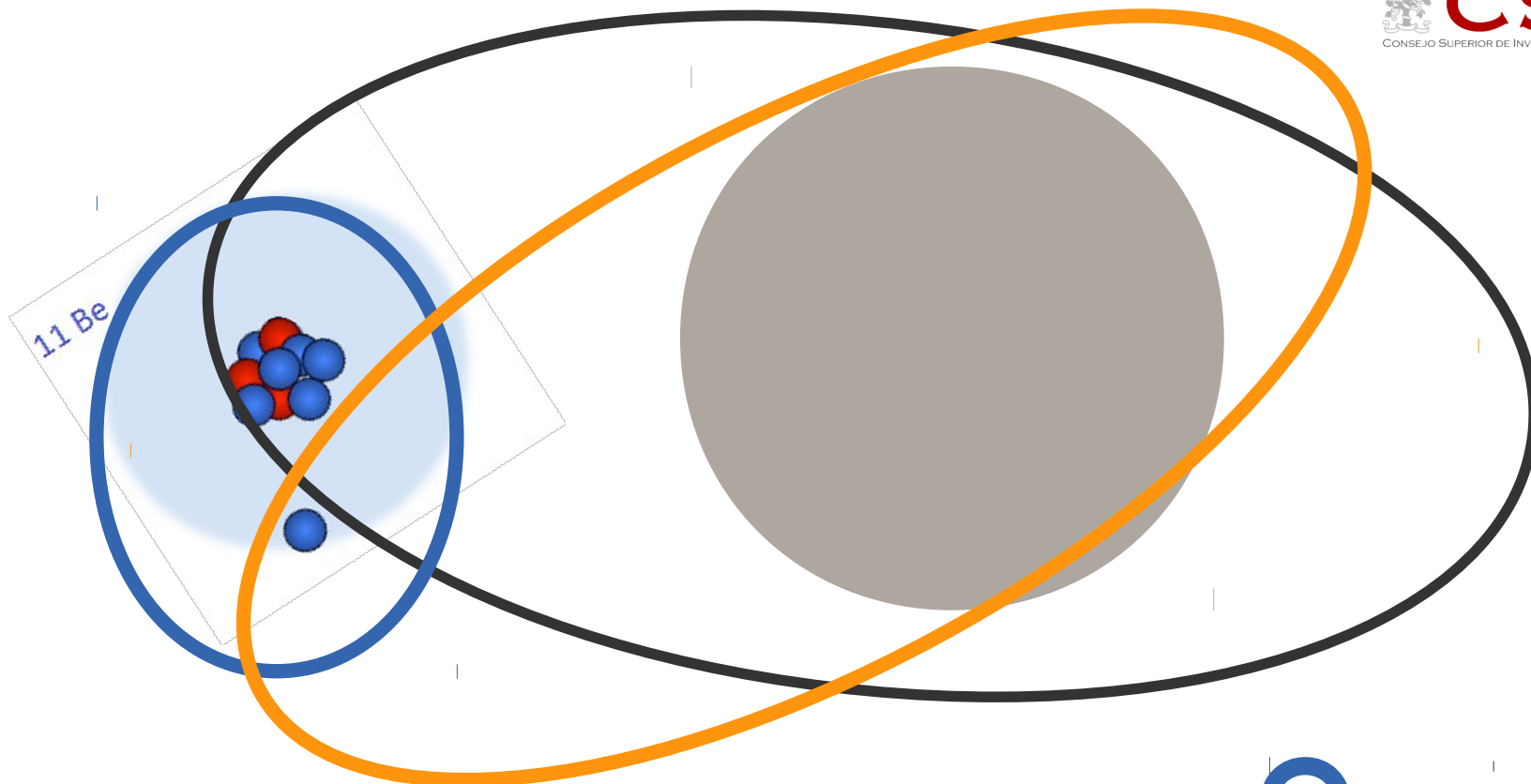
Charged particles + TIGRESS

- Gamma rays in coincidence with particles.

^{11}Be @2.9MeV/u
on ^{197}Au .
1pixel.

b) Inelastic scattering at $\theta_{\text{lab}} = 28^\circ$





$^{10}\text{Be-n:}$

P. Capel *et al.*, *Phys. Rev.* **C70**, 064605 (2004).



$^{10}\text{Be-}^{197}\text{Au}:$

J.J. Kolata *et al.*, *Phys. Rev.* **C69**, 047601 (2007).



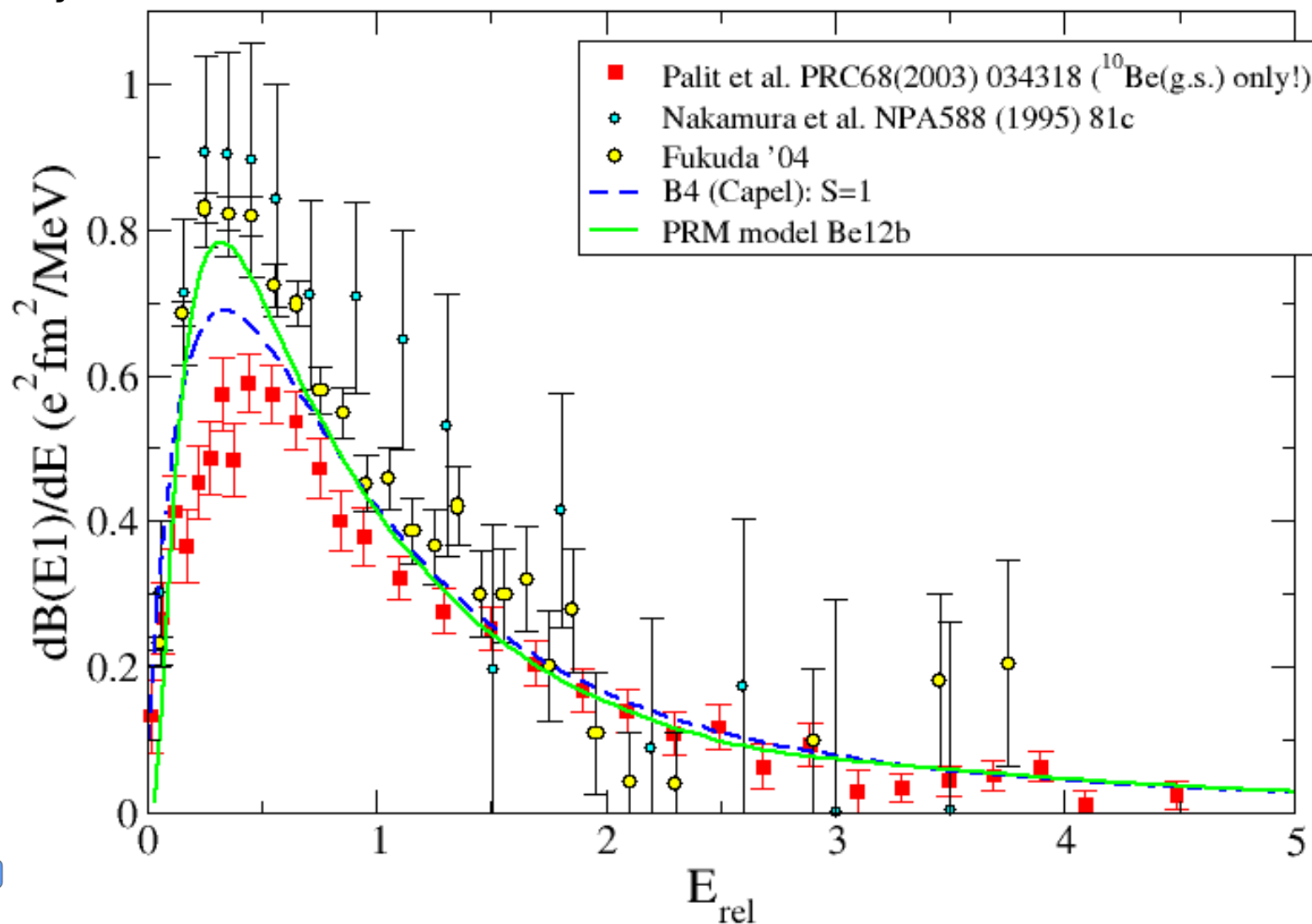
$^{197}\text{Au-n:}$

A.J. Koning, J.P. Delaroche, *Nucl. Phys.* **A713**, 231 (2003).



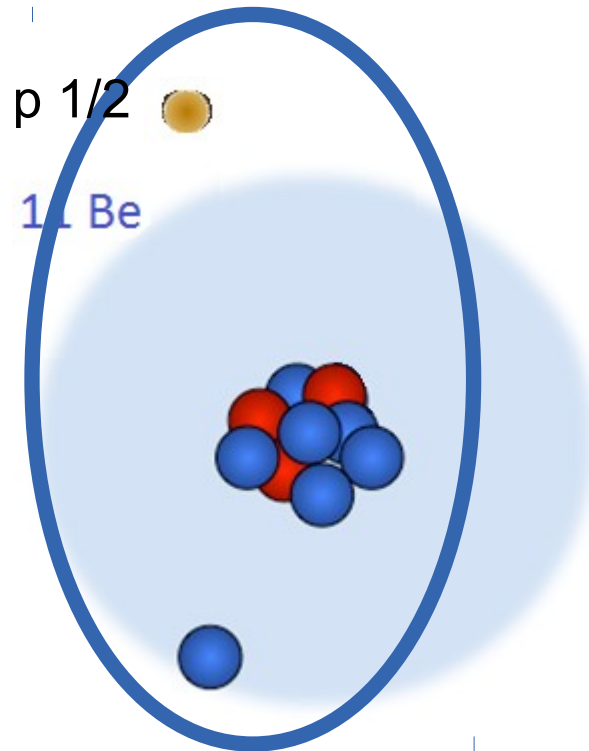
^{11}Be

Courtesy of A. Moro. U. Sevilla.

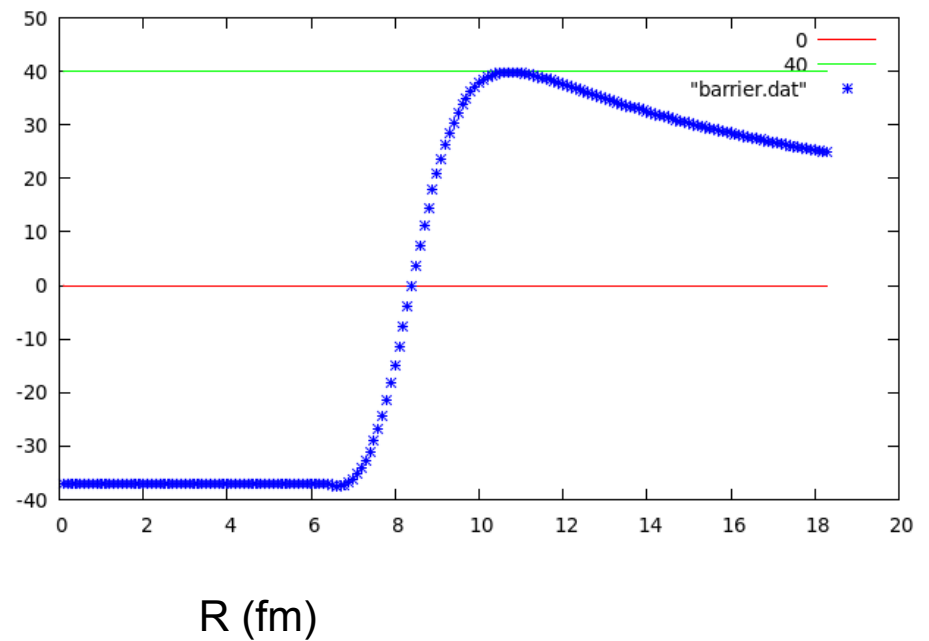


d 5/2
d 3/2
p 3/2
p 1/2
s 1/2

$E_{rel} < 5 \text{ MeV}$

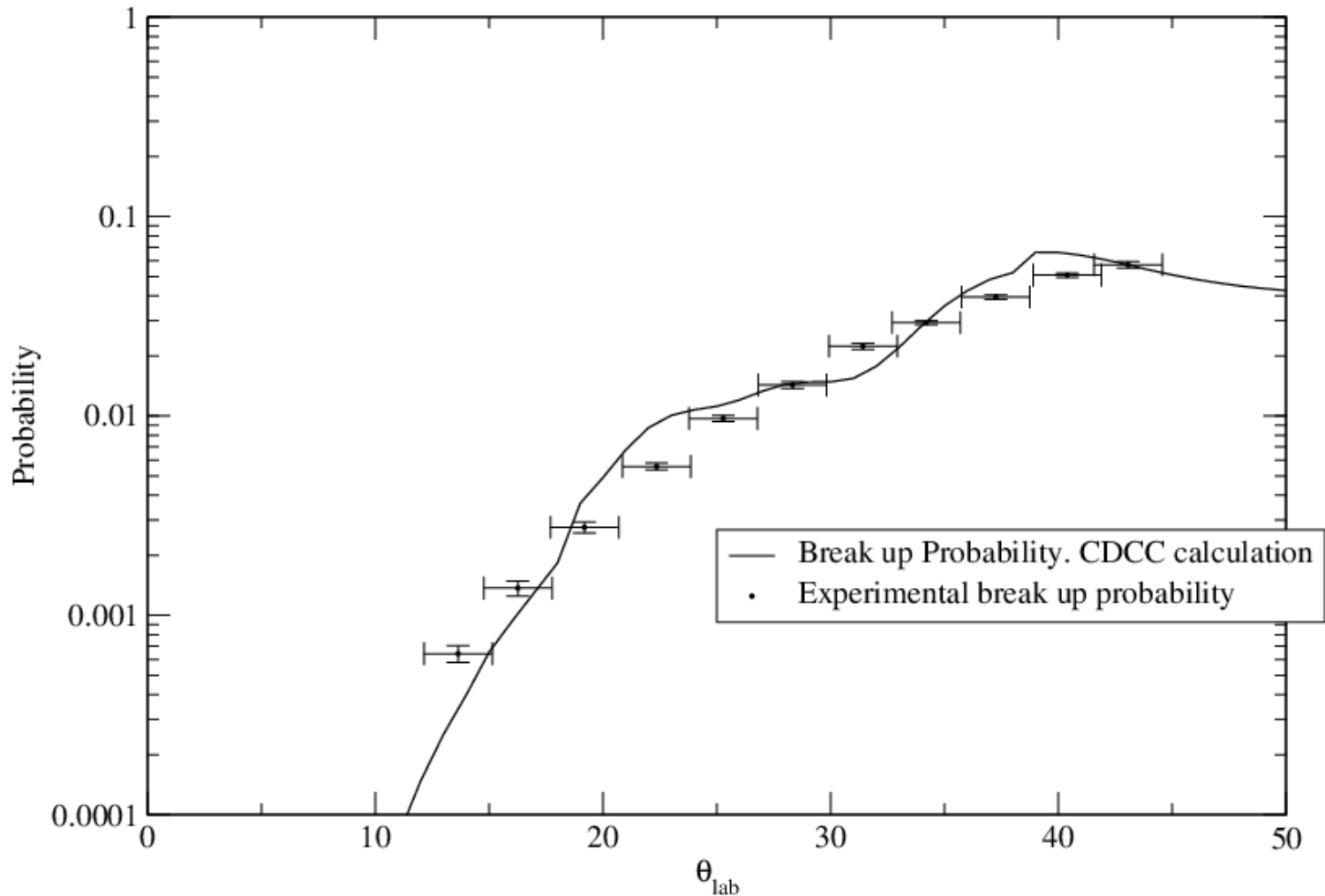


$V_b \approx 40 \text{ MeV}$

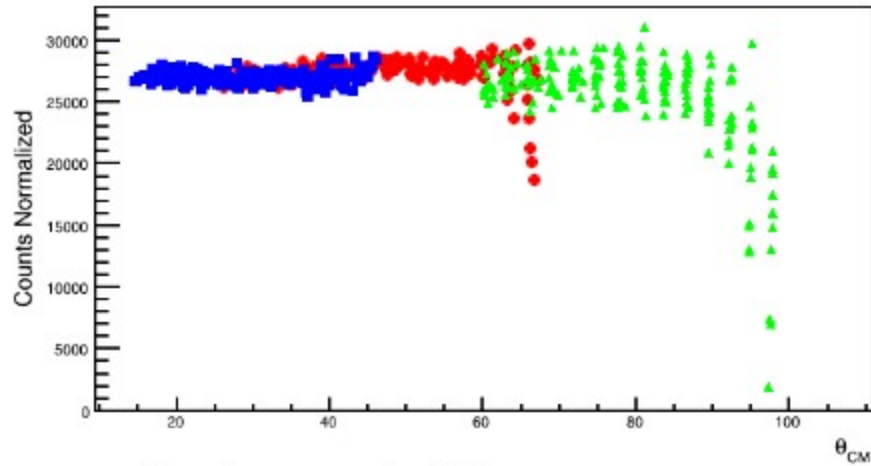


Break up and inelastic scattering probabilities

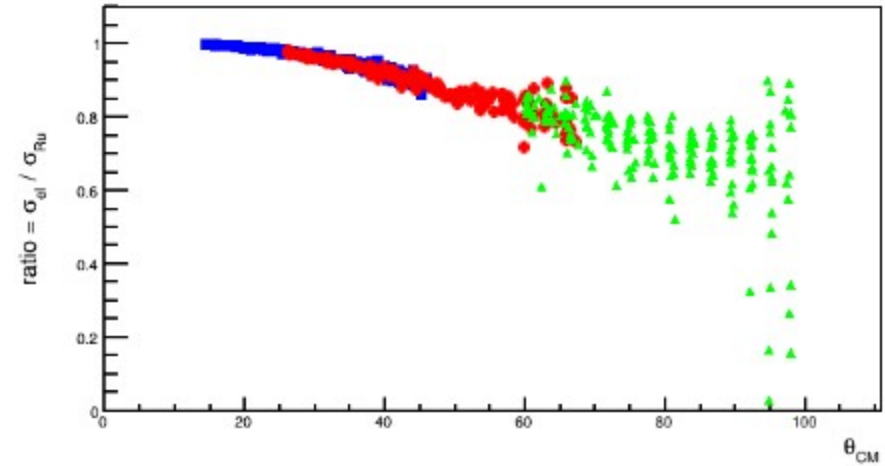
^{11}Be on ^{197}Au @ 2.9 MeV/u



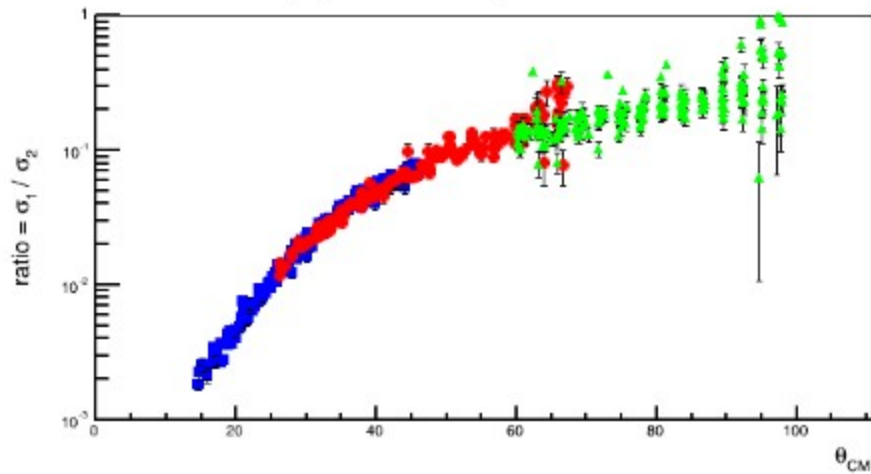
Total cross section



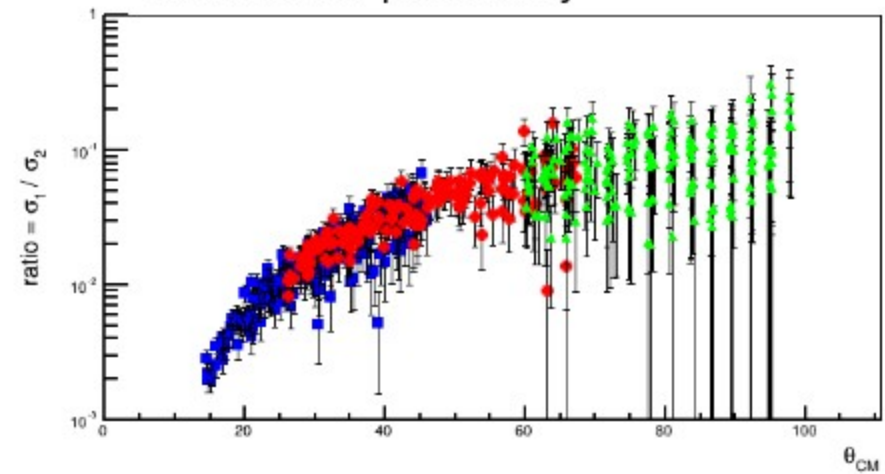
Elastic cross section



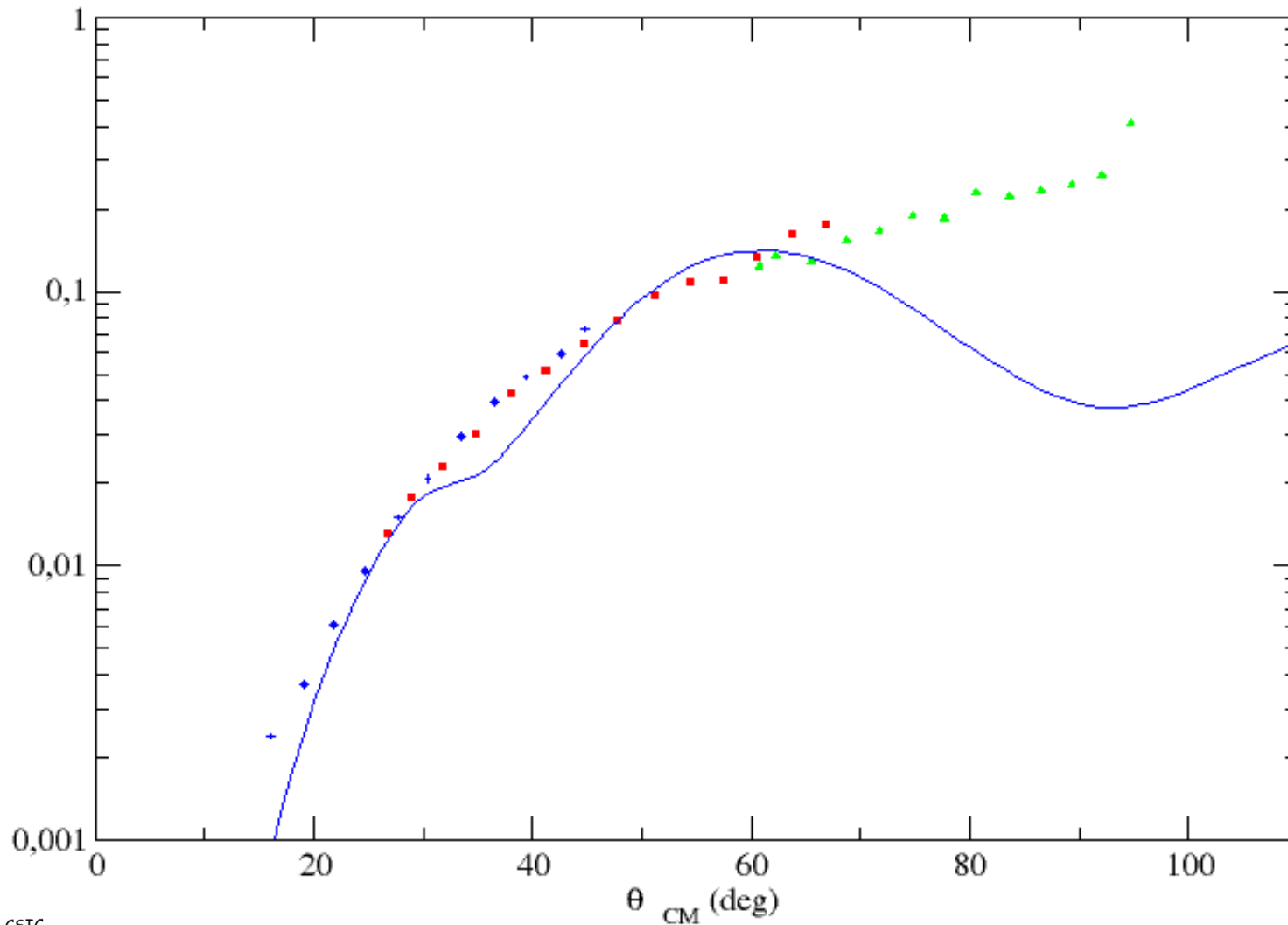
Break up probability



inelastic sc. probability

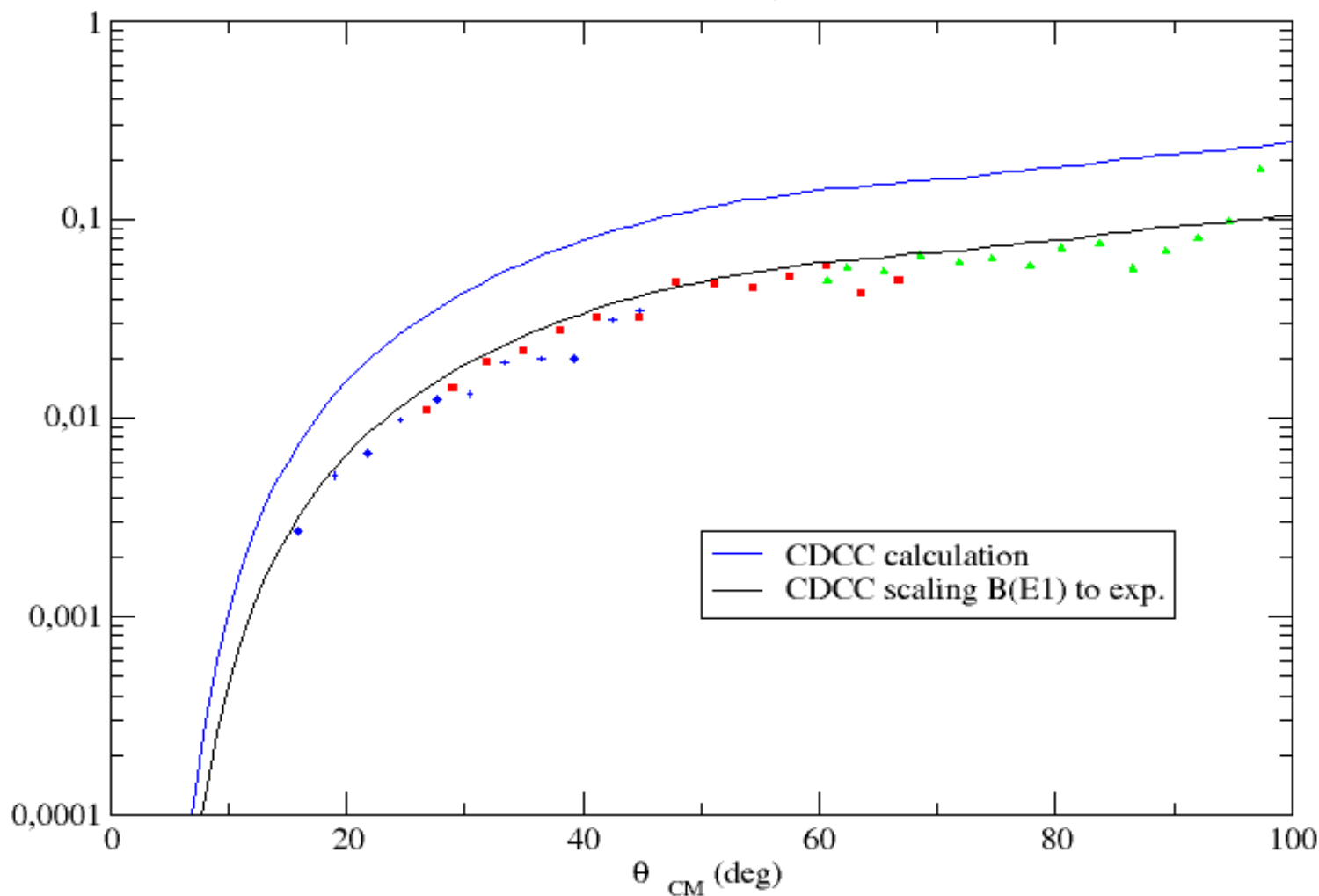


Break Up ^{11}Be on ^{197}Au @ 2.9 MeV/u

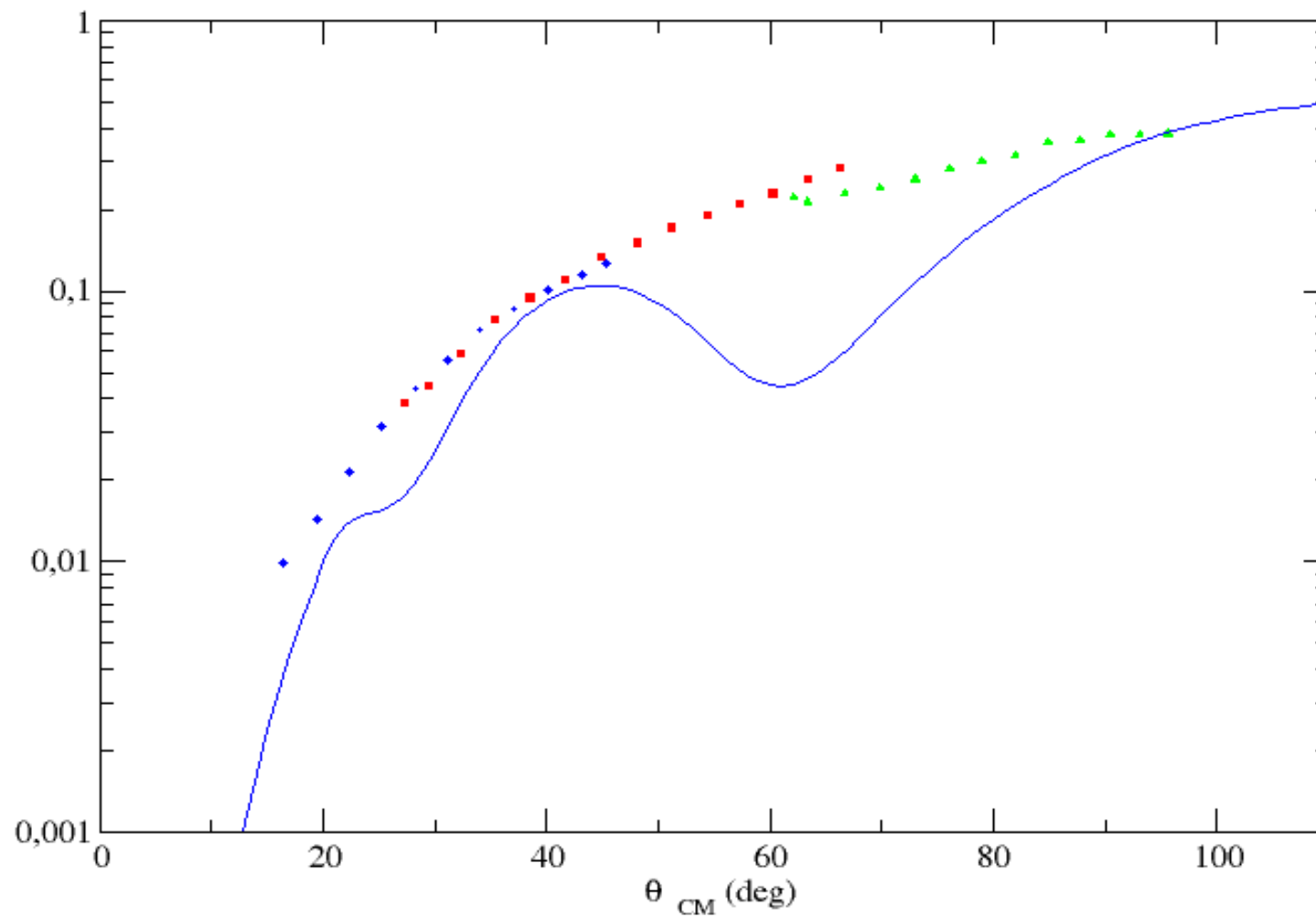


Inelastic scattering probability

^{11}Be on ^{197}Au @ 2.9 MeV/u

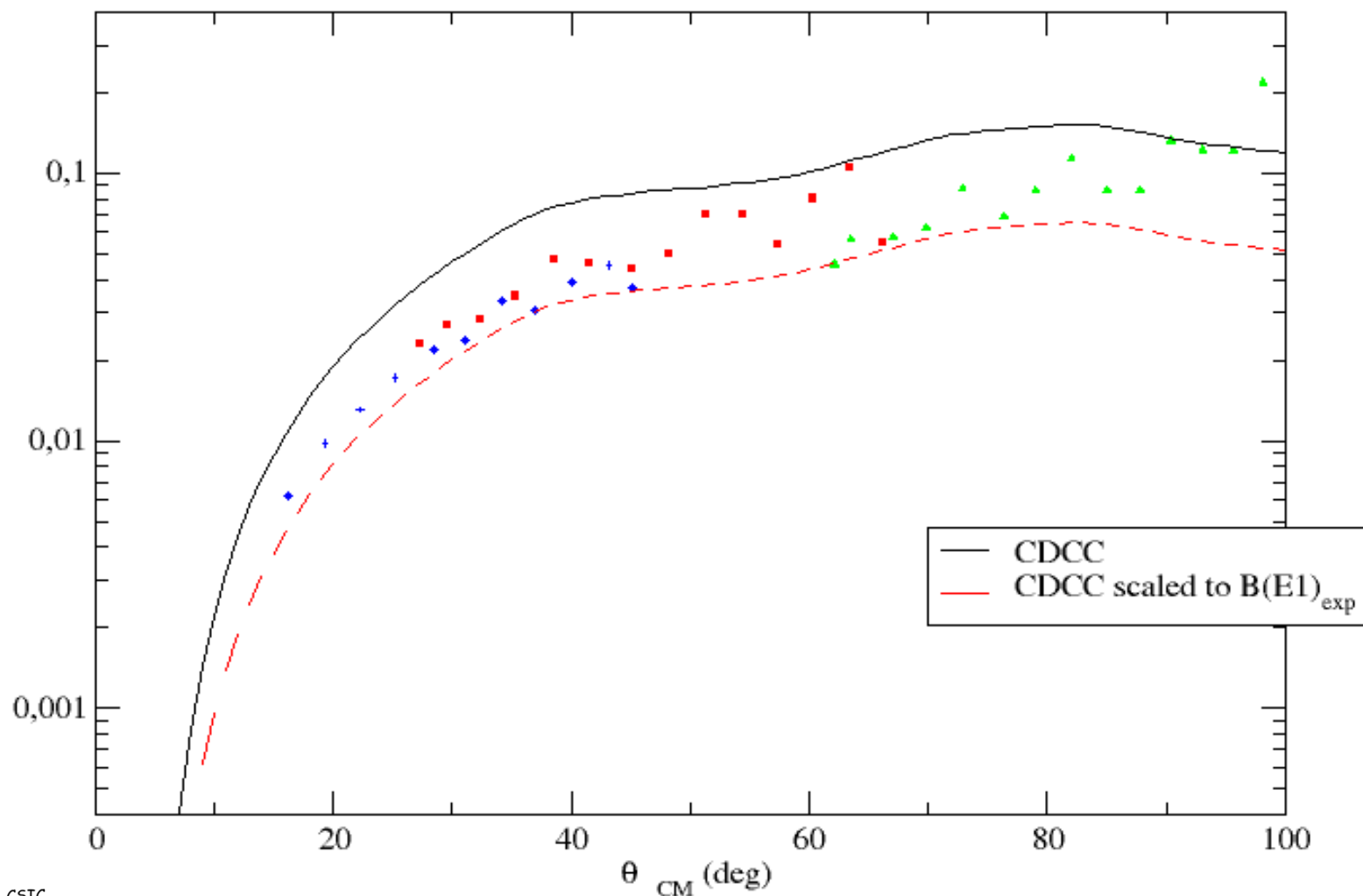


Break up ^{11}Be on ^{197}Au @ 3.6 MeV/u



Inelastic scattering

^{11}Be on ^{197}Au @ 3.6 MeV/u



Conclusions

- Calculations have convergence problems.
- Independent particle model predicts well the B(E1) to the continuum but overestimates B(E1) to the bound excited state ($0.26e^2fm^2$, factor of 2 over exp.).

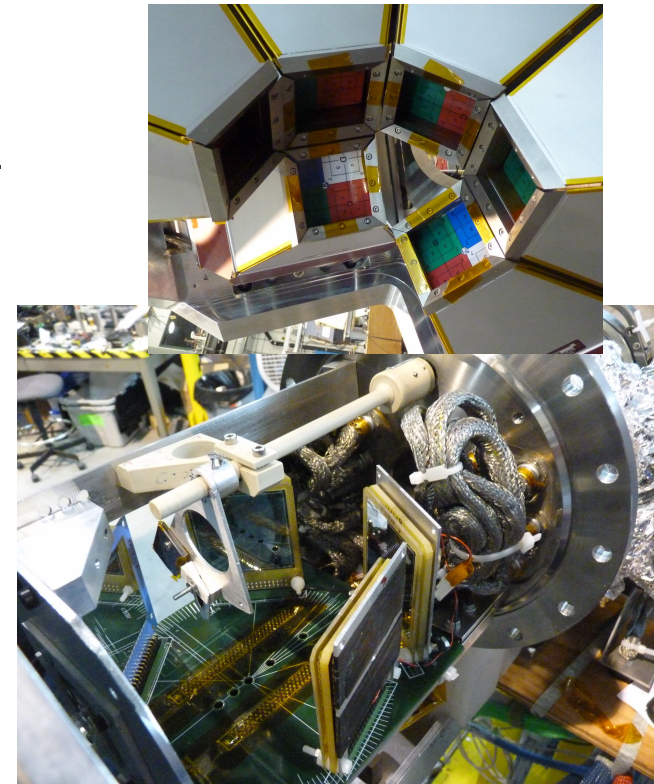
Expected overestimation of P_{inel} .

- May be caused by a not-so-inert core.
- Necessity including core excitations in the calculations.

$$\begin{aligned}
 |11Be^*>_{1/2^-} &= a |10Be(0+) \otimes p1/2>_{1/2^-} + b |10Be(2+) \otimes \dots + \dots \\
 |11Be>_{1/2^+} &= a' |10Be(0+) \otimes 2s1/2>_{1/2^+} + b' |10Be(2+) \otimes 1d5/2>_{1/2^+}
 \end{aligned}$$

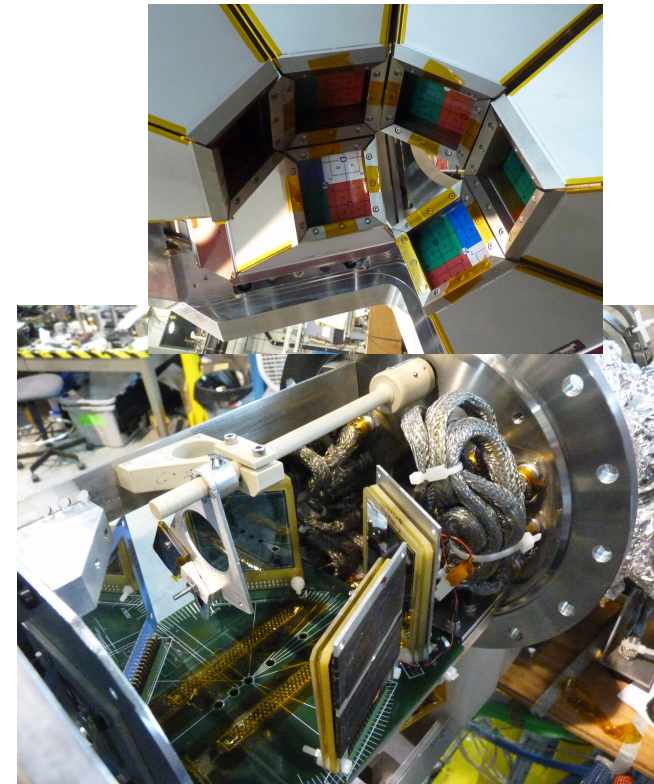
Conclusions and outlook

- An experiment of ^{11}Be on heavy targets at energies around the Coulomb barrier observing BU and inelastic scattering has been undertaken for first time:
 - with high granularity.
 - at angles as low as 14° .
- Enough resolution for separation of break up and elastic events below the barrier: **Halo**.
 - Even with a mass difference between fragments of 1/11.
- Break up probability matches with CDCC calculations in the range they are reliable.
- Work on progress:
 - Exp: Fine positioning, add tel 4.
 - Th: Focusing the reaction from a n-transfer approach



tak for din opmærksomhed
tack för din uppmärksamhet

Gracias por
vuestra
atención



Probabilidad reducida de ruptura: Caso de ^{11}Li

$$B(t) \equiv \frac{P_{\text{bu}}(t)}{\frac{16\pi^2}{9} \frac{(Ze)^2}{(\hbar v)^4 (t - \frac{\pi a_0}{\hbar v})}} = \int d\varepsilon \frac{dB(E1; \varepsilon)}{d\varepsilon} \varepsilon e^{-t\varepsilon}$$

- Para las reacciones dominadas por Coulomb, la Pr. red de ruptura es la transformada de Laplace de la $B(E1)$.

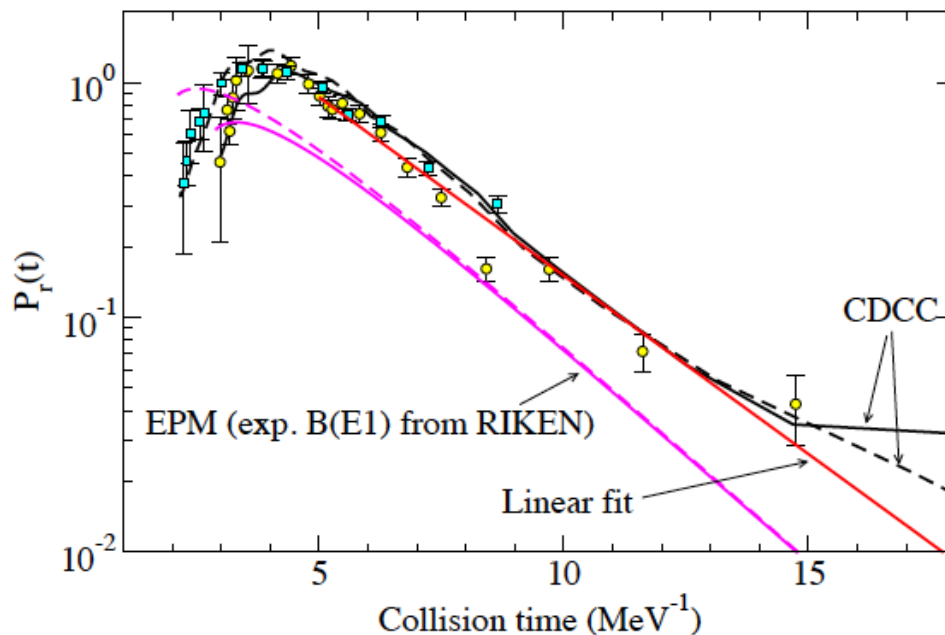
- Haciendo el cambio de variable se concentra la dependencia en energía, ángulo y blanco en un solo parámetro:

- **El tiempo de colisión. Scaling!**

$$t = \left(\pi + \frac{2}{\sin(\theta/2)} \right) \frac{a_0}{\hbar v}$$

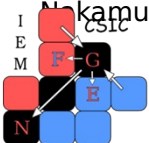
- En la región donde la aproximación coulombiana es buena (ángulos pequeños o tiempos de colisión grandes) la derivada logarítmica de la Pr. Red. es la energía efectiva de ruptura

0.35 MeV for ^{11}Li .



J.P. Fernandez-Garcia et al., Phys.Rev.Lett. 110, 142701 (2013)

N. Kamura et al., PRL96 252502 (2006)



Grupo de Física
Nuclear Experimental

Prob. Reducida de ruptura

